



How well can you persist a tempo?

MUSIC 251 Final Project
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Hypothesis

The capability of persisting a certain tempo might be related to:

1. Musical training background
2. Daily music exposure level (practicing / active listening)
3. Experience in bands / musical groups
4. Frequency of using metronomes during practice



Experiment Design

5 tapping tests, including 1 training test and 4 formal tests.
4 different BPMs (60, 90, 120, 150) with random order.

Procedure:

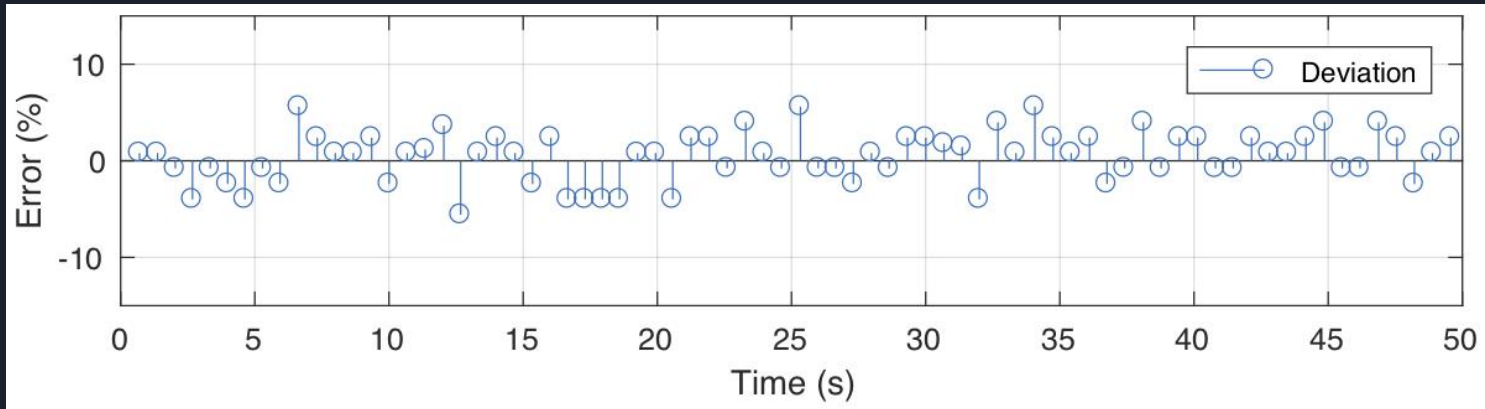
1. Listen to a pulse train
2. Track the tempo by tapping
3. Persist after the pulse train stops

The subjects are allowed to create any context out of each tempo, such as imagining melodies and rhythms that fit in that tempo.

Performance Indicators

The deviation of the instantaneous tapping period from the reference period can be represented by the following error signal:

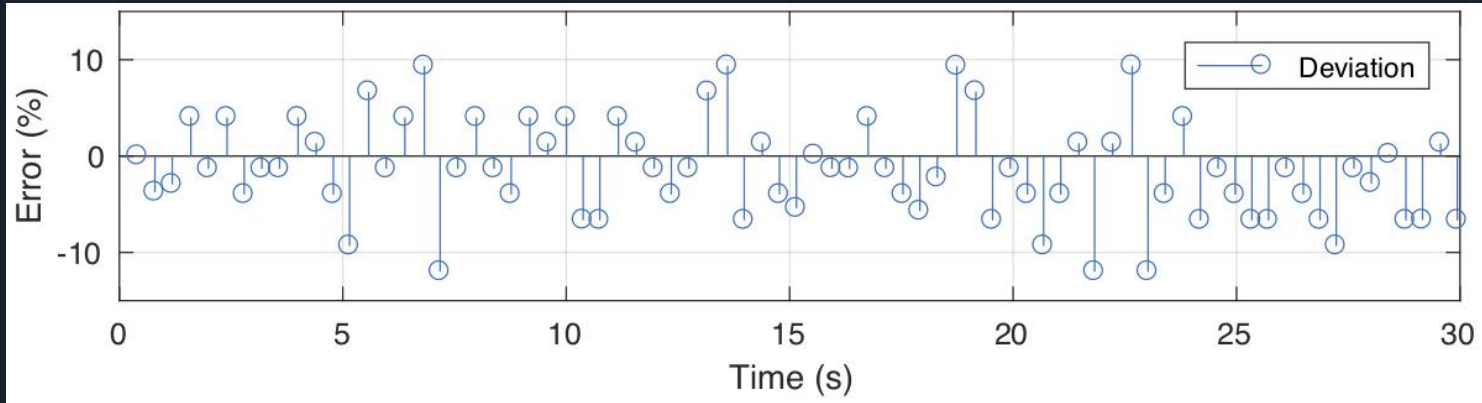
$$e[n] = \frac{\Delta t[n] - T}{T} \cdot 100\%$$



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Two indicators are used to measure the subjects' performance:

1. Mean Squared Error (MSE)

$$\text{MSE} = \frac{1}{N} \sum_{n=1}^N e^2[n]$$

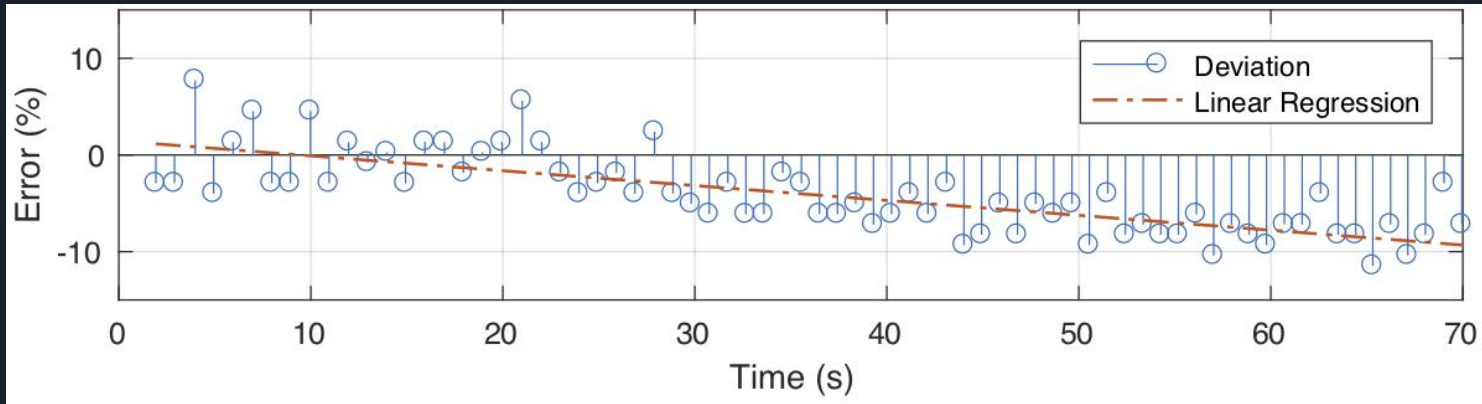
2. Linear Regression Slope

$$e[n] = \mathbf{k} \cdot n + b + \varepsilon$$

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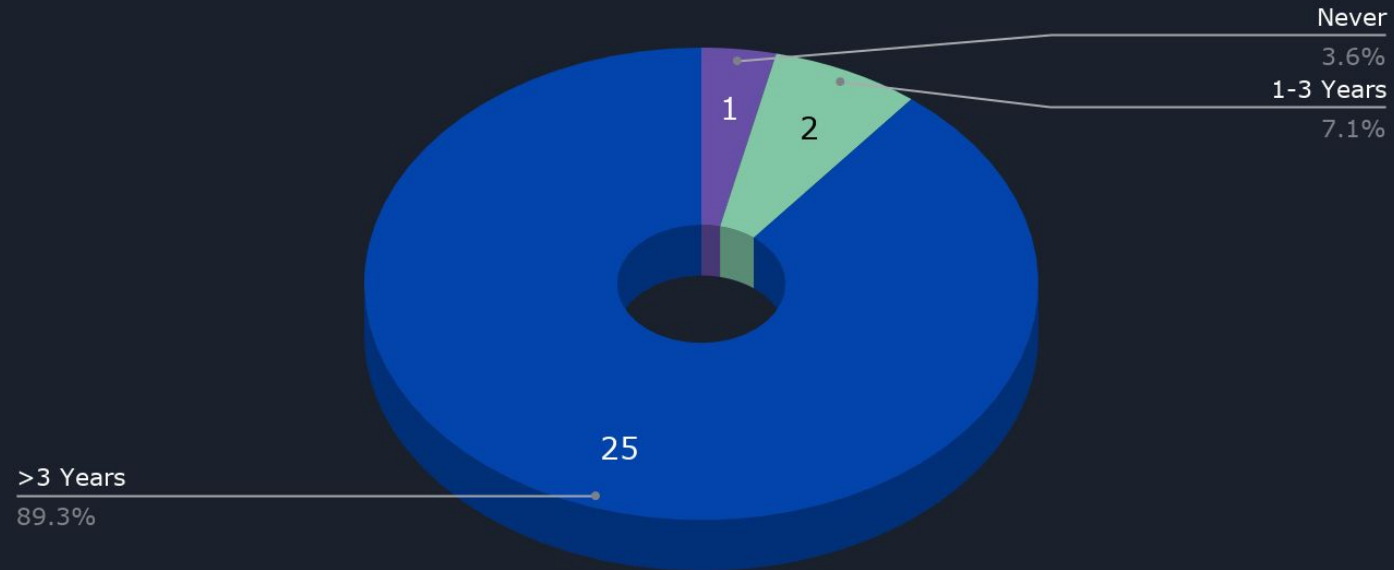
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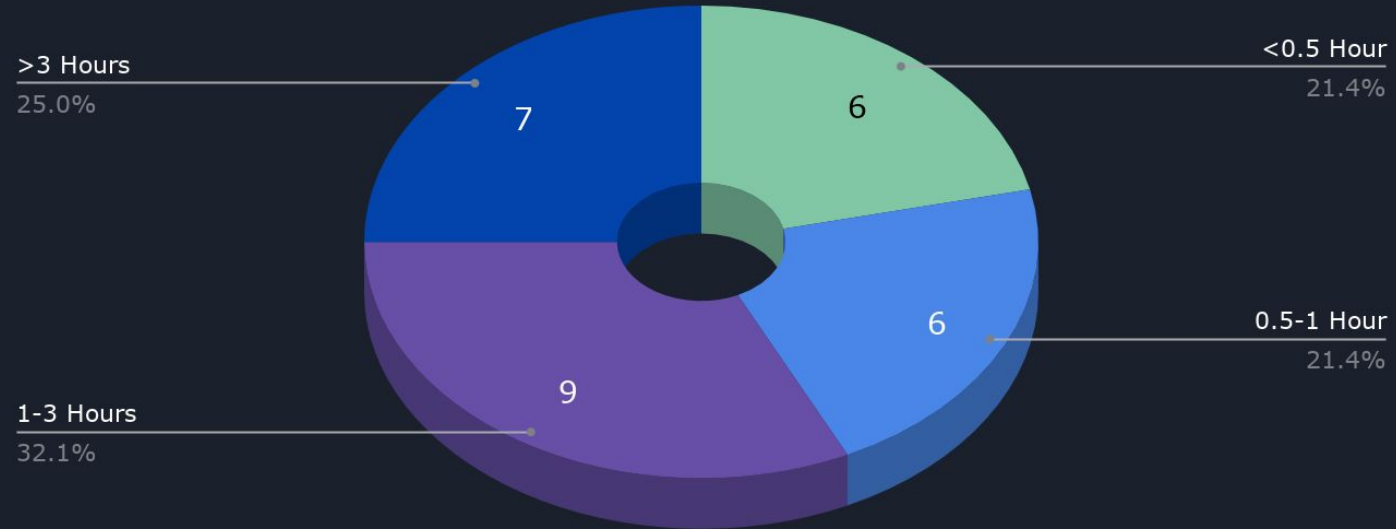
Participants

Musical Training Background



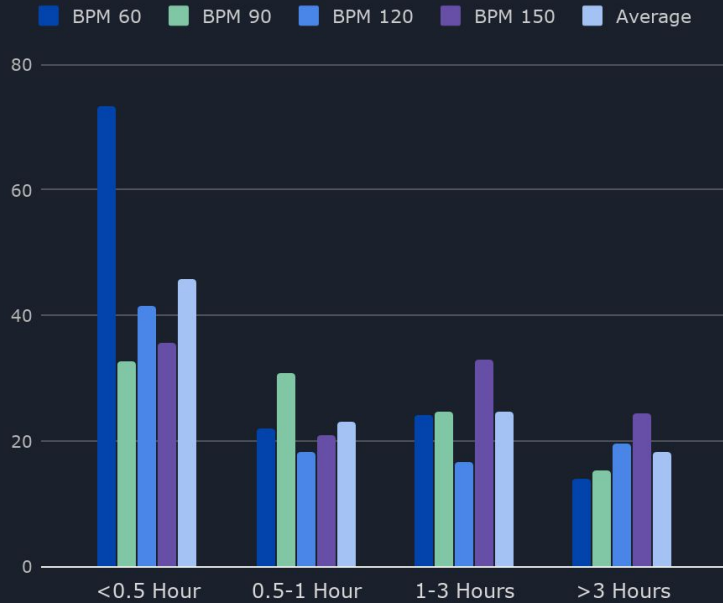
Participants

Daily Music Exposure Level

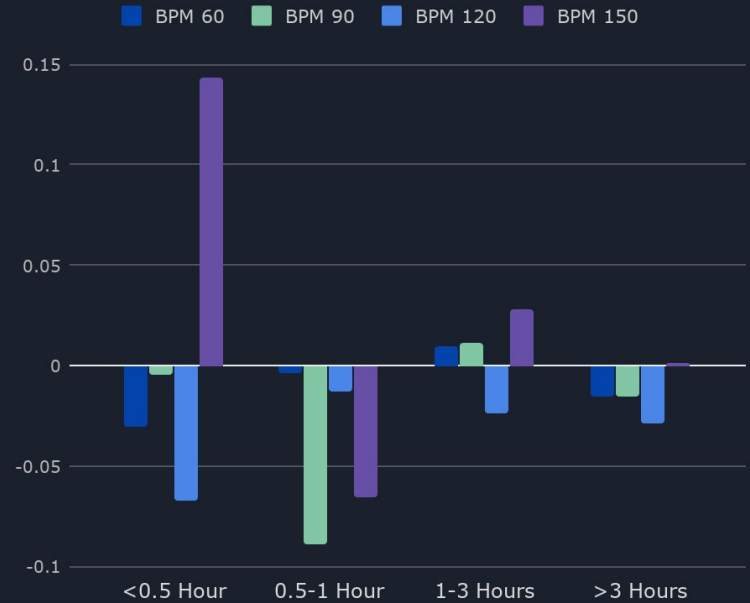


Results

MSE under Different Daily Music Exposure Level

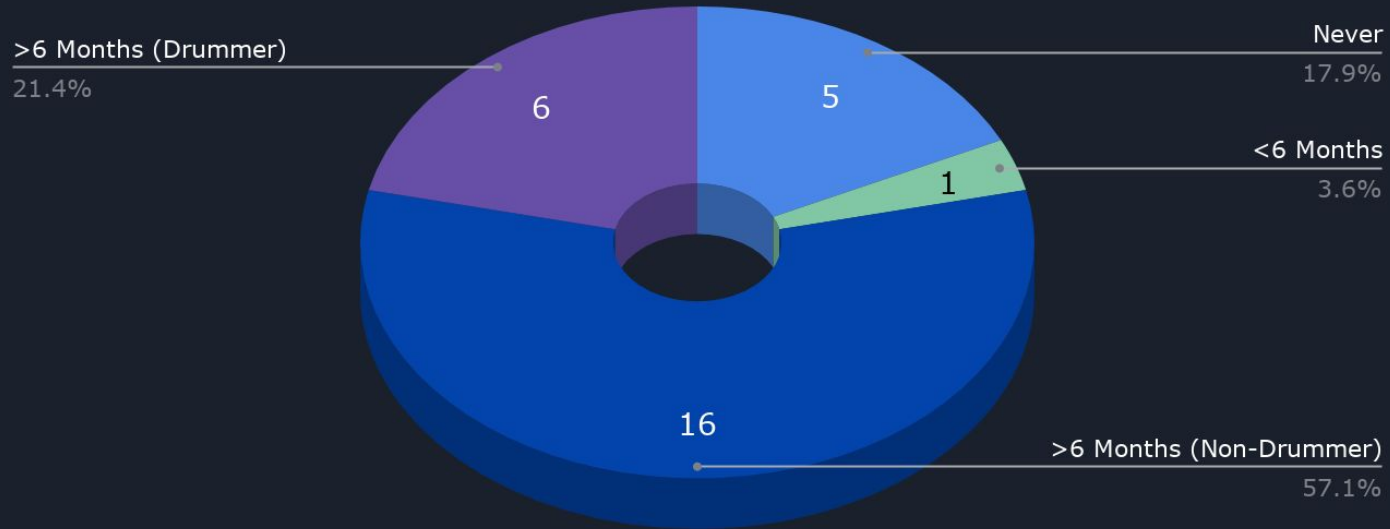


Corresponding Linear Regression Slopes



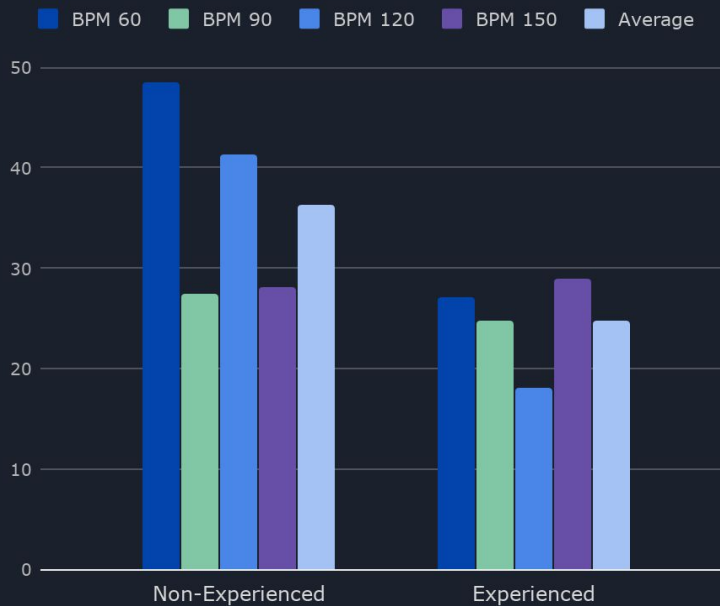
Participants

Experience in Bands / Musical Groups

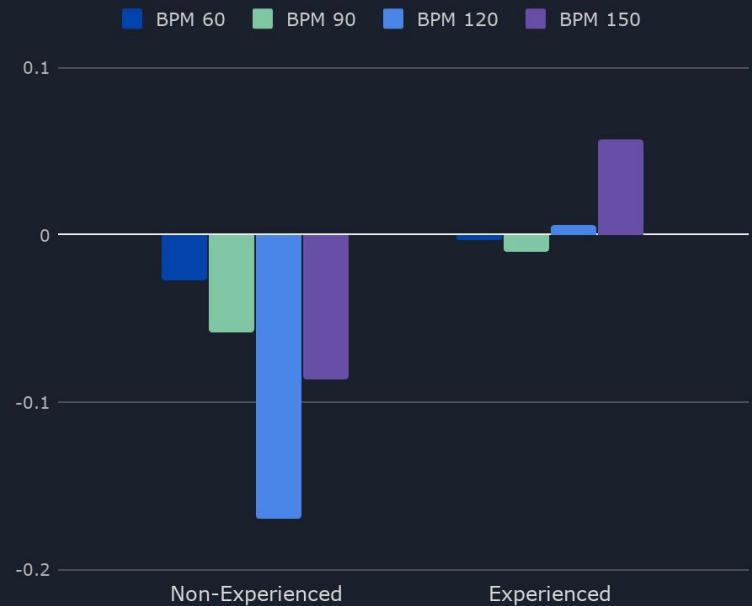


Results

MSE under Different Experience in Bands

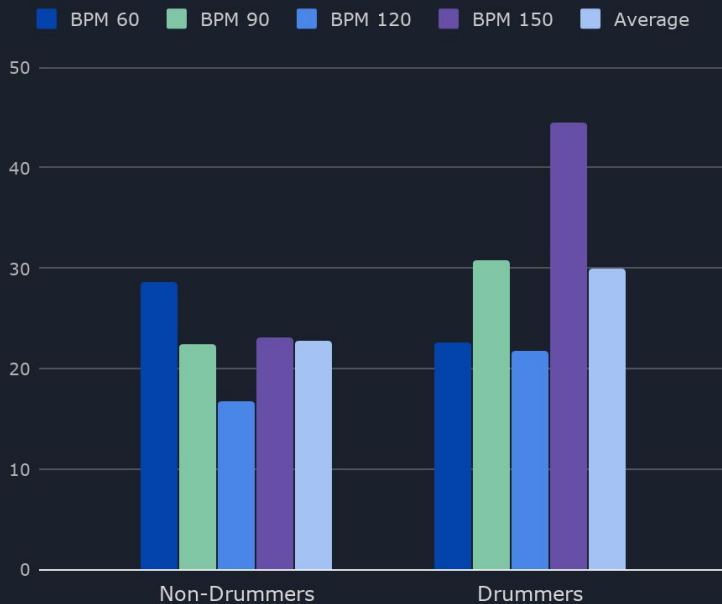


Corresponding Linear Regression Slopes

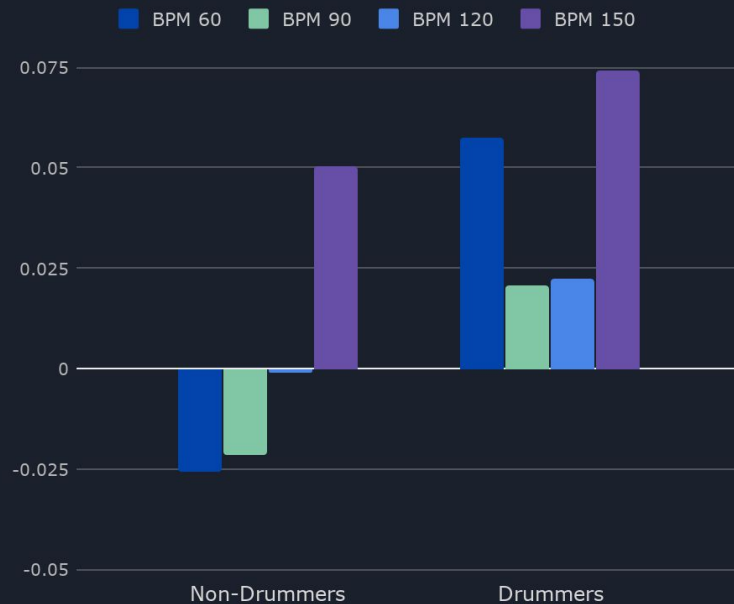


Results

MSE of Different Roles in Bands



Corresponding Linear Regression Slopes



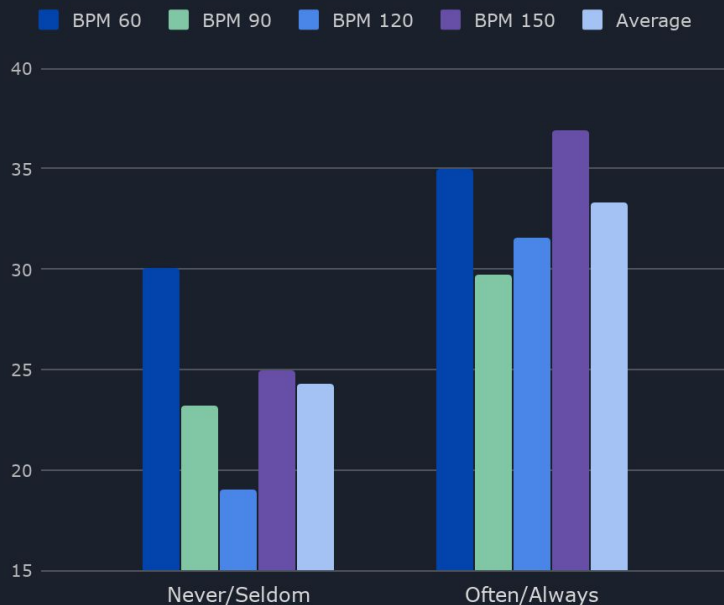
Participants

Frequency of Using Metronomes

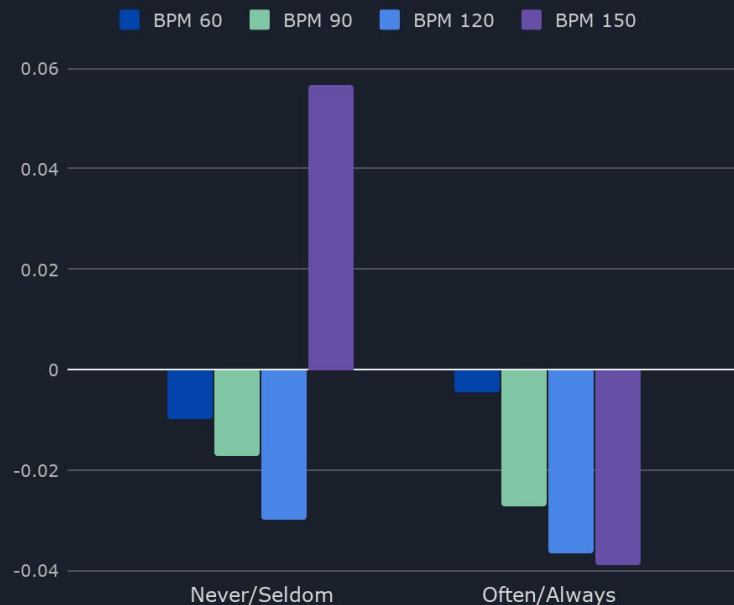


Results

MSE under Different Metronome Experience

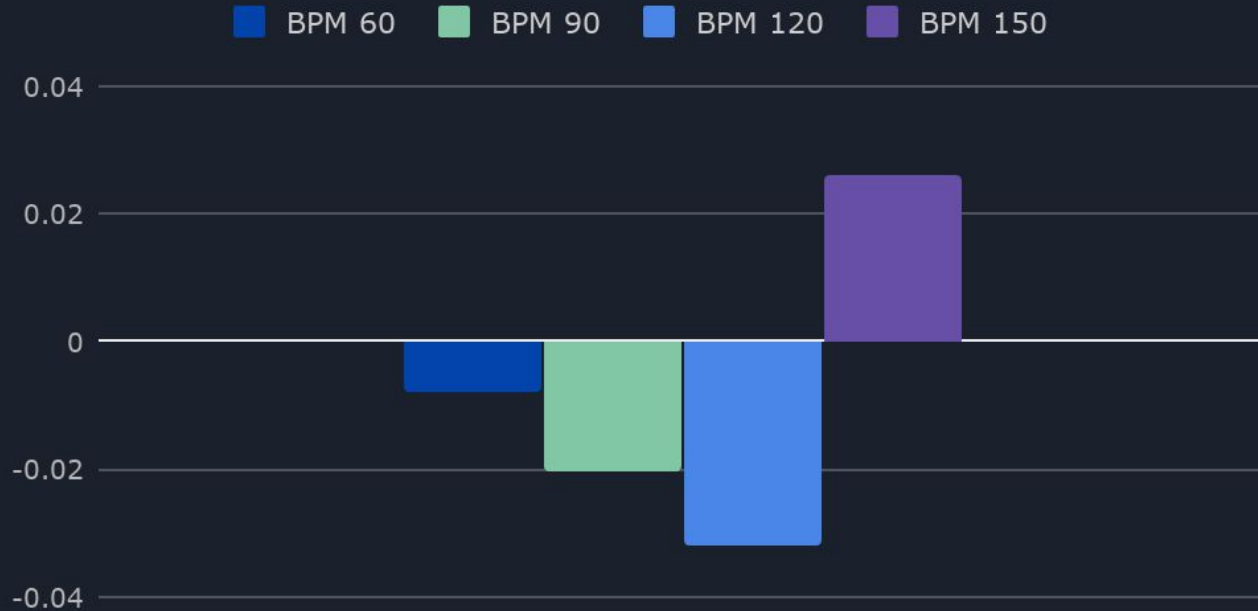


Corresponding Linear Regression Slopes



Results

Average Linear Regression Slopes of All subjects





Problems & Confusing Facts

1. Small participant size
2. Is it proper to calculate the average between different slopes?
3. Strategies of dealing with abnormal data points
4. People who use metronomes actually did worse.



References

Jungers, M. K., Palmer, C., & Speer, S. R. (2002). Time after time: The coordinating influence of tempo in music and speech. *Cognitive Processing*, 1(2), 21-35.

Freedman, D. A. (2009). *Statistical models: theory and practice*. Cambridge University Press.

Yan, X., & Su, X. (2009). *Linear regression analysis: theory and computing*. World Scientific.

Thank You!
Any Questions?

